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# A dynamic integrated model for mercury bioaccumulation in marine organisms 

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#### Abstract

A novel integrated dynamic model, the Integrated Fish Model (INTFISH), incorporating mercury (Hg) dynamics at non-steady state in marine organisms, is presented and is applied to the benthic food web in a polluted area. The integrated Fish model represents the dynamics of inorganic mercury ( $\mathrm{Hg}^{\mathrm{II}}$ ) and methyl-mercury ( MeHg ) in a real marine ecosystem including environmental (seawater and sediments) and biota compartments. Mercury concentration in fish is estimated using the INTFISH model coupled, in real-time, with results from i) the seawater and sediments modules computed using the HR3DHG model, ii) a dedicated Phytoplankton model and iii) six modules for Hg fluxes within the invertebrate compartment, incorporating the main organisms included in fish diet preferences, whose variations during the whole life cycle are also taken into account to verify the sensitivity of the integrated model to the core set of parameters. The simulated total mercury concentrations $\left(\mathrm{Hg}^{\mathrm{TOT}}\right)$ in specimens of red mullet (Mullus barbatus), selected as target species for the Fish model, are in excellent agreement with field observations reported from the investigated area. The intrinsic modularity of the model offers the opportunity to extend simulations to other fish species (which are part of the diet of human populations of interest) and predict Hg concentration in food. A natural extension of the model will allow to evaluate the health risks related to human consumption of contaminated fish.


## 1. Introduction

The description and evaluation of the consequences of toxic chemical accumulation in ecosystems (soil, air, water, plants, animals and humans) certainly play a key role in environmental risk assessment in particular polluted areas (Kaikkonen et al., 2020; Sadutto et al., 2021; Senthil Rathi et al., 2021; Van der Oost et al., 2003; Visha et al., 2021). In particular, great attention is paid to water pollution, since water covers most of our planet (70\%). Many toxicants interact with the aquatic habitat in general and, especially in seas and oceans, pollution depends on the spillage of man-made products such as pesticides, herbicides, fertilizers, detergents, oil, industrial chemicals and wastewater

## (He et al., 2012).

One of the most harmful chemical contaminants for humans is certainly mercury and understanding the mechanisms regulating its accumulation in the marine food web has become, over the past few years, one of the most urgent challenges in the field of toxicokinetics of heavy metals (Bieser and Schrum, 2016; Booth and Zeller, 2005; Fitzgerald et al., 2007; Gworek et al., 2016; Hylander and Goodsite, 2006; Jagadeep et al., 2020; Kütter et al., 2009; Ni et al., 2017). The exposure to methyl-mercury ( MeHg ), the most toxic mercury species, is reported to cause irreversible damages to the central nervous system (Carrier et al., 2001; De Flora et al., 1994; Mergler et al., 2007; Storelli et al., 2003), as well as teratogenic effects in the foetus during the embryonic

[^0]phase (Brender et al., 2006; Jin et al., 2016; Matsumoto et al., 1965). Furthermore, MeHg biomagnifies in marine food webs, resulting in higher concentrations in upper trophic level marine species with respect to their prey (Harding et al., 2018; Johnsson et al., 2005; La Colla et al., 2019; Lee and Fisher, 2017; Li et al., 2022; Mackay and Fraser, 2000; Marziali et al., 2021; Morcillo et al., 2017; Signa et al., 2017).

On top of that, the marine-coastal areas have undergone a significant anthropogenic impact over the years as happened for the Augusta Bay, in Sicily, which has been one of the most polluted marine areas in Italy because, since 1950, petrochemical plants-derived pollution has been entering water at this site (Bagnato et al., 2013; Bellucci et al., 2012; Salvagio Manta et al., 2016; Sprovieri et al., 2011). Mercury, in particular, is one of the main pollutants in this area, because of the discharges of large mercury-cell chlor-alkali plants operative until 1970s (Bellucci et al., 2012; Le Donne and Ciafani, 2008).

Several experimental investigations in the area demonstrated an active transfer of mercury from the abiotic compartment (seawater and sediments) to marine organisms (Ausili et al., 2008; Bonsignore et al., 2015; ICRAM, 2008; Oliveri et al., 2016; Salvagio Manta et al., 2016) and highlighted serious risks for human health due to consumption of seafood from that area (Bonsignore et al., 2013, 2016; Di Bella et al., 2020).

Over the last decades, several theoretical studies introduced innovative tools to describe both the migration mechanisms of inorganic and organic pollutants from the abiotic aquatic ecosystems to organisms and transfer from prey to predator along the food webs (Connell, 1990; Sharpe and Mackay, 2000). Specifically, bioaccumulation models that exploit ordinary differential equations (ODE) have been used to reproduce effects of pollutant bioaccumulation and biodilution. Initially, simple equilibrium partitioning models, based on the octanol-water partition coefficient ( $\mathrm{K}_{\mathrm{ow}}$ ) and the bioconcentration factor (BCF), have been proposed for several classes of organic pollutants (Arnot and Gobas, 2004; Hamelink et al., 1971; Neely et al., 1974; Veith et al., 1979). Kinetic models have been developed to reproduce at the steady state the distribution of chemicals in each trophic level of the aquatic food web (Clark et al., 1990; Connolly and Tonelli, 1985; Thomann, 1981; Thomann, 1989; Thomann and Connolly, 1984). Then, starting with kinetic models, fugacity-based models (or thermodynamic models) were developed to simulate, at steady state, the bioconcentration and biomagnification process of pollutant transfer along the food webs from contaminated water and sediment (Mackay, 1982; Gobas and MacKay, 1987; Clark et al., 1990; Campfens and Mackay, 1997; Arnot and Gobas, 2004). In the 1990s, for the first time, Hendriks modified the fugacity theory to develop the kinetic models at non-steady state, models in which rate constants for influx and efflux were defined, for each trophic level, as a function of i) pollutant concentration in the environment and ii) weight of the investigated organism (Hendriks, 1995, 1999; Hendriks et al., 2001; Hendriks and Heikens, 2001). Based on this approach, innovative bioaccumulation models for marine species (named Phytoplankton model, Invertebrate model, Fish model) have recently been introduced in the MERLIN-Expo library (https://merlin-expo.eu/). In this ensemble of models, the dynamics of the contaminant concentration in the body of each organism is reproduced, excluding migration of marine species (Radomyski and Ciffroy, 2015a, 2015b, 2015c). Although this assumption can be acceptable for most of phytoplankton and invertebrate species, it appears ineffective for fish species which migrate during their life cycle. Physiologically based pharmacokinetic (PBPK) models for chemicals bioaccumulation in fish have been developed since the early 1990s (Arnot and Gobas, 2004; Law et al., 1991; Nichols et al., 1990) but, being multi-compartmental, they need substantial experimental datasets to be calibrated and validated.

In this work, we introduce the Integrated Fish Model, INTFISH, which has been designed and implemented to reproduce, in nonequilibrium conditions, the dynamics of total mercury ( $\mathrm{Hg}^{\mathrm{TOT}}$ ) concentration in a target fish species (Mullus barbatus) during its whole life cycle. The kinetic model never reaches a stationary state, since the
mercury concentrations from the source biogeochemical model (Denaro et al., 2020) change as a function of time and space position, causing the variations in Hg concentration in each trophic level. INTFISH consists of i) a Fish Model, coupled in real time with ii) the seawater and sediments modules of HR3DHG (Denaro et al., 2020), iii) the Phytoplankton Model (Hendriks and Heikens, 2001; Radomyski and Ciffroy, 2015a) and iv) six modules of the Invertebrate Model (Hendriks and Heikens, 2001; Radomyski and Ciffroy, 2015b), applied to a single species, characterising dietary preference. The model frame was chosen based on the food web structure, which affects mercury transfer from one trophic level to another (Lee and Fisher, 2017). Due to different toxicity and bioaccumulation, the dynamics of $\mathrm{Hg}^{\mathrm{II}}$ and MeHg in the marine organisms were analyzed separately. In this way, the bioaccumulation processes for both Hg species are reproduced by considering all mercury fluxes exchanged from phytoplankton (trophic level 1) to fish (level trophic 3), passing through the intermediate trophic level, i.e. invertebrates. INTFISH is calibrated and validated using previous experimental data collected in Augusta Bay, southern Italy (Bonsignore et al., 2013; Di Bella et al., 2020).

To the best of our knowledge, this is the first time that an integrated mathematical model is designed to quantify the time course of toxicant concentration in marine organisms, i) by assuming as input to the system the transient behaviour obtained by a coupled spatio-temporal highresolution model (HR3DHG), which in turn accounts for seasonal environmental variability; ii) by considering bioaccumulation and mercury transfer along the whole food web of a target fish species with possibly time-varying dietary habits; iii) by proposing a modular framework which can be easily adapted to fit experimental data possibly related to different locations and species with respect to those considered in this work.

## 2. Material and methods

### 2.1. Mercury bioaccumulation modelling: a synthetic view

The INTFISH model has been designed and implemented to reproduce the dynamics of $\mathrm{Hg}^{\text {TOT }}$ ( $\mathrm{Hg}_{\text {fish }}^{\text {II }}$ and $\mathrm{MeHg}_{\text {fish }}$ ) during all stages of fish life cycle, following the diet preferences of both the red mullet (M. barbatus) and its prey. Bioaccumulation processes are therefore simulated considering all mercury fluxes exchanged throughout the overall food web. The model results are then compared with the $\mathrm{Hg}^{\text {TOT }}$ concentration in fish at the time of capture, as reported by Bonsignore et al. (2013) and Di Bella et al. (2020).

The main module of INTFISH is the Fish Model, which is coupled, in real-time, with the seawater module of HR3DHG Model (Denaro et al., 2020) and with six modules of the kinetic model for invertebrates (the Invertebrate Model), one for each fish diet preference. The HR3DHG Model provides the inputs for the fish respiratory system, i.e. $\mathrm{Hg}^{\text {II }}$ and MeHg concentration in seawater, while the Invertebrate modules give the inputs for its gastro-intestinal tract (GIT), i.e. the $\mathrm{Hg}^{\text {II }}$ and MeHg concentration in the main prey $\left(\mathrm{Hg}_{\mathrm{j}}^{\mathrm{II}}\right.$ and $\left.\mathrm{MeHg}_{\mathrm{j}}\right)$. Each Invertebrate module is also integrated in real-time with the seawater and sediment modules of HR3DHG Model ( $\mathrm{Hg}_{\text {sed }}^{\mathrm{II}}$ and $\mathrm{MeHg}_{\text {sed }}$ ), the kinetic model for phytoplankton (Phytoplankton model $-\mathrm{Hg}_{\text {phy }}^{\text {II }}$ and $\mathrm{MeHg}_{\text {phy }}$ ) and the other Invertebrate modules (Fig. 1).

Since the $M$. barbatus feeds on prey living in the seabed of coastal areas, the mercury concentrations in phytoplankton and invertebrates are calculated at each node ( $\mathrm{x}, \mathrm{y}$ ) of the same 2 D grid used in the HR3DHG Model for the sediment surface layer of Augusta Bay.

### 2.2. Phytoplankton model

The Phytoplankton Model (Eqs. (1)-(5)) is a kinetic model and provides the dynamics of mercury concentrations in picoeukaryotes, i.e. the most representative phytoplankton population in terms of biomass (Hendriks and Heikens, 2001; Radomyski and Ciffroy, 2015a) in the


Fig. 1. Basic scheme of the Integrated Fish Model: the main block is the Fish Model (fuchsia colour box), other blocks are six Invertebrate Models (pink box) and the Phytoplankton Model (green box). The seawater module (light blue box) of HR3GHG Model provides input for all modules of the Integrated Fish Model; the HR3GHG Model sediment module (orange box) instead, communicates only with some modules of the Invertebrate Model. (For interpretation of the references to colour in this figure legend, the reader is referred to the web version of this article).

Mediterranean Sea (Brunet et al., 2006, 2007). More generally, picoplankton has been shown to contribute greatly to the biomass of food webs in both marine and freshwater ecosystems (Likens, 2009), where they are often responsible for most of the marine primary production (Stockner and Antia, 1986), providing energy to higher trophic levels (Schmidt, 2019).

In our modelling framework, the Phytoplankton Model provides estimates of mercury deriving from phytoplankton accumulation and absorbed, via the gastro-intestinal tract (GIT), by amphipoda, mysidacea, decapoda and bivalvia (Invertebrate Model 1 - Invertebrate Model 4).

The mercury contents in phytoplankton strongly depend on the concentrations of the respective mercury species ( $\mathrm{Hg}^{I I}$ and MeHg ) dissolved in seawater and absorbed by phytoplankton through its cellular membrane. It is modelled considering three biological processes (Hendriks and Heikens, 2001; Radomyski and Ciffroy, 2015a):
i) absorption of the two mercury species through the phytoplankton cell membrane (uptake term);
ii) excretion of the two mercury species through the phytoplankton cell membrane (excretion term);
iii) excretion of the two mercury species for dilution through the size growth of phytoplankton cell (growth term).

Thus, the kinetic model for the mercury concentrations in phytoplankton biomass is defined by the following ordinary differential equations:
$\frac{d H g_{\text {phy }}^{I I}}{d t^{\prime}}=k_{\text {phy, up_-ino }} \cdot\left[H g^{I I}\right]-H g_{p h y}^{I I} \cdot\left(k_{p h y, e x c_{i n o}}+k_{p h y, g r}\right)$

where

- $H_{g} g_{\text {II }}$ and MeHg phy are the $\mathrm{Hg}^{\mathrm{II}}$ and MeHg concentrations in phytoplankton biomass, respectively $\left[\mu \mathrm{g} \cdot \mathrm{kg} g_{\text {wet_wt }}^{-1}\right]$;
- $k_{\text {phy, up_ino }}$ and $k_{p h y, \text { up_met }}$ are the rate constants for the uptake from the seawater of IHg and MeHg , respectively $\left[l \cdot k g_{\text {wet_wt }}^{-1} \cdot d^{-1}\right]$;
- $\left[\mathrm{Hg}^{I I}\right]$ and $[\mathrm{MeHg}]$ are the concentrations of IHg and MeHg in seawater, respectively $\left[\mu g \cdot l^{-1}\right]$;
- $k_{\text {phy, exc_ino }}$ and $k_{p h y, \text { exc_met }}$ are the rate constants for the excretion with seawater of IHg and MeHg , respectively $\left[d^{-1}\right]$;
- $k_{p h y, g r}$ is the dilution rate constant associated with phytoplankton biomass growth $\left[d^{-1}\right]$.

The rate constants are defined as follows:
$k_{w, \text { ino }, \text { up }}=\frac{W_{\text {phy }}^{-\kappa}}{\rho_{w}+\rho_{\text {lip, in }} \cdot\left[H g^{I I}\right]^{\kappa_{p}^{I I}}+\frac{1}{\gamma_{0}}} ; k_{w, \text { met }, \text { up }}=\frac{W_{p h y}^{-\kappa}}{\rho_{w}+\rho_{\text {lip,in }} \cdot[\mathrm{MeHg}]_{p}^{\kappa_{p}^{M M}}+\frac{1}{\gamma_{0}}}$
$k_{w, \text { ino }, \text { exc }}=\frac{1}{K_{t w}^{I I} \cdot p_{s, p h y}} \cdot \frac{W_{\text {phy }}^{-\kappa}}{\rho_{w}+\rho_{\text {lip,out }}+\frac{1}{\gamma_{0}}} ; k_{w, \text { met }, \text { exc }}=\frac{1}{K_{t w}^{M M} \cdot p_{s, p h y}} \cdot \frac{W_{\text {phy }}^{-\kappa}}{\rho_{w, p h y}+\rho_{\text {lip }, \text { out }}+\frac{1}{\gamma_{0}}}$
$k_{p h y, g r}=q_{T} \cdot \gamma_{2} \cdot W_{p h y}^{-\kappa}$
where

- $W_{p h y}$ is the average phytoplankton cell weight $\left[\mathrm{kg}_{\text {wet_w }}\right]$;
- $\kappa$ is the rate exponent [dimensionless];
- $\rho_{w}$ is the water layer diffusion resistance $\left[d \cdot k g^{-\kappa}\right]$;
- $\rho_{\text {lip, in }}$ is the lipid layer permeation influx resistance $\left[d \cdot k g^{-\kappa} \cdot \mu g^{-\kappa_{p}} \cdot l^{\kappa_{p}}\right] ;$
- $\kappa_{p}^{I I}$ and $\kappa_{p}^{M M}$ are the lipid resistance exponents for IHg and MeHg , respectively [dimensionless];
- $\gamma_{0}$ is the water absorption-excretion coefficient $\left[\mathrm{kg}^{\kappa} \cdot \mathrm{d}^{-1}\right]$;
- $K_{t w}^{I I}$ and $K_{t w}^{M M}$ are the dry tissue-water partition ratios for IHg and MeHg , respectively $\left[k g_{d r y}^{-1}{ }_{-w t} / l^{-1}\right]$;
- $p_{s, p h y}$ is the dry fraction of phytoplankton $\left[\mathrm{kg}_{d r y}{ }_{-w t} / \mathrm{kg}_{\text {wet_wt }}\right]$;
- $\rho_{\text {lip, out }}$ is the lipid layer permeation efflux resistance $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $q_{T}$ is the temperature correction factor [dimensionless]; $\gamma_{2}$ is the biomass reproduction coefficient $\left[k g^{\kappa} \cdot d^{-1}\right]$.

The parameters used, obtained according to available literature (Hendriks et al., 2001; Hendriks and Heikens, 2001) are reported in Table 1. The average phytoplankton cell weight $\left(W_{\text {phy }}\right)$ is calculated by the average phytoplankton cell volume using the method of Radomyski and Ciffroy (2015a). Assuming that the most representative phytoplankton population in terms of biomass is that of picoeukaryotes (Brunet et al., 2006, 2007), their average cell volume (Strickland, 1960) is used to obtain the average phytoplankton cell weight.

### 2.3. Invertebrate model

The dynamics of mercury in the prey categories of fish is reproduced using the kinetic model devised for invertebrates, i.e. the Invertebrate Model (Hendriks and Heikens, 2001; Radomyski and Ciffroy, 2015b). In general, Hg concentrations in the considered prey (invertebrates) strongly depend on mercury concentrations in the ingested marine organisms (phytoplankton, zoobenthos, etc.) and the assimilated detritus,

Table 1
Biological parameters used in the Integrated Fish Model.

| Symbol | Interpretation | Unit | Value | Reference |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{W}_{\text {phy }}$ | Average phytoplankton cell weight | kg | $14 * 10^{-15}$ | Strickland (1960) |
| $\mathrm{W}_{\text {biv }}$ | Average weight of bivalvia | kg | $4.3 * 10^{-3}$ | Radomyski and Ciffroy (2015b) |
| $\mathrm{W}_{\text {amp }}$ | Average weight of amphipoda | kg | $38 * 10^{-6}$ | McKinney et al. (2004) |
| $\mathrm{W}_{\text {mys }}$ | Average weight of mysidacea | kg | $1.0 * 10^{-4}$ | Campfens and Mackay (1997) |
| $\mathrm{W}_{\text {dec }}$ | Average weight of decapoda | kg | $133 * 10^{-4}$ | McKinney et al. (2004) |
| $\mathrm{W}_{\text {pol }}$ | Average weight of polychaeta | kg | $162 * 10^{-6}$ | Yakovlev and Yakovleva (2010) |
| $\mathrm{W}_{\text {ost }}$ | Average weight of osteichthyes | kg | $16 * 10^{-3}$ | Campfens and Mackay (1997) |
| $\kappa$ | Rate exponent | dimensionless | 0.25 | Hendriks et al. (2001) |
| $\rho_{w}$ | Water layer diffusion resistance | $\mathrm{d} \mathrm{kg}{ }^{-\mathrm{k}}$ | 0.0028 | Hendriks et al. (2001) |
| $\rho_{\text {w,ege }}$ | Water layer diffusion resistance for assimilation of chemicals from food | $\mathrm{d} \mathrm{kg}^{-\mathrm{k}}$ | 0.000011 | Hendriks et al. (2001) |
| $\rho_{\text {lip,in }}$ | Lipid layer permeation influx resistance for respiratory uptake | $\mathrm{d} \mathrm{kg}^{-\mathrm{k}}$ | 0.21 | Hendriks and Heikens (2001) |
| $\rho_{\text {lip,out }}$ | Lipid layer permeation efflux resistance | $\mathrm{d} \mathrm{kg}{ }^{-\mathrm{K}}$ | 0.30 | Hendriks and Heikens (2001) |
| $\kappa_{p}^{\text {II }}$ | Lipid resistance exponents for inorganic mercury | dimensionless | 0.57 | Calibration procedure |
| $\kappa_{\mathrm{p}}^{\mathrm{MM}}$ | Lipid resistance exponents for methyl-mercury | dimensionless | 0.57 | Calibration procedure |
| $\gamma_{0}$ | Water absorption-excretion coefficient | $\mathrm{kg}^{\mathrm{k}} \mathrm{d}^{-1}$ | 200 | Hendriks et al. (2001) |
| $\gamma_{1}$ | Food ingestion coefficient | $\mathrm{kg}^{\mathrm{k}} \mathrm{d}^{-1}$ | 0.005 | Hendriks et al. (2001) |
| $\gamma_{2}$ | Biomass reproduction coefficient | $\mathrm{kg}^{\mathrm{K}} \mathrm{d}^{-1}$ | 0.0006 | Hendriks et al. (2001) |
| $\mathrm{K}_{\text {tw }}^{\text {II }}$ | Dry tissue-water partition ratios for inorganic mercury | $1 \mathrm{~kg}^{-1}$ | 5500 | Calibration procedure |
| $\mathrm{K}_{\text {tw }}^{\mathrm{Mm}}$ | Dry tissue-water partition ratios for methyl-mercury | $1 \mathrm{~kg}^{-1}$ | 11,000 | Calibration procedure |
| $\mathrm{p}_{\mathrm{s} \text {, phy }}$ | Dry fraction of phytoplankton | dimensionless | 0.0768 | Hendriks and Heikens (2001) |
| $\mathrm{p}_{\mathrm{s} \text {, biv }}$ | Dry fraction of bivalvia | dimensionless | 0.1698 | Hendriks and Heikens (2001) |
| $\mathrm{p}_{\text {s,amp }}$ | Dry fraction of amphipoda | dimensionless | 0.1652 | Hendriks and Heikens (2001) |
| $\mathrm{p}_{\mathrm{s} \text {,mys }}$ | Dry fraction of mysidacea | dimensionless | 0.1517 | Hendriks and Heikens (2001) |
| $\mathrm{p}_{\mathrm{s} \text {, dec }}$ | Dry fraction of decapoda | dimensionless | 0.1714 | Hendriks and Heikens (2001) |
| $\mathrm{p}_{\mathrm{s}, \mathrm{pol}}$ | Dry fraction of polycheata | dimensionless | 0.1715 | Hendriks and Heikens (2001) |
| $\mathrm{p}_{\text {s,ost }}$ | Dry fraction of osteichthyes | dimensionless | 0.1788 | Hendriks and Heikens (2001) |
| $\mathrm{q}_{\mathrm{T}}$ | Temperature correction factor for cold-blooded animal | dimensionless | 1 | Hendriks et al. (2001) |
| $\mathrm{passs}_{\text {II }}^{\text {II biv, }} \mathrm{Hg}$ | Efficiency for dietary assimilation of inorganic mercury by bivalvia | dimensionless | 0.03 | Hendriks and Heikens (2001) |
| $\mathrm{pasiass}_{\text {III }}^{\text {II }}$ amp, Hg | Efficiency for dietary assimilation of inorganic mercury by amphipoda | dimensionless | 0.16 | Hendriks and Heikens (2001) |
| $\mathrm{passs}_{\text {II }}^{\text {Ifys, }} \mathrm{Hg}$ | Efficiency for dietary assimilation of inorganic mercury by mysidacea | dimensionless | 0.16 | Hendriks and Heikens (2001) |
| pass_dec, Hg | Efficiency for dietary assimilation of inorganic mercury by decapoda | dimensionless | 0.16 | Hendriks and Heikens (2001) |
| pass_pol, Hg | Efficiency for dietary assimilation of inorganic mercury by polychaeta | dimensionless | 0.01 | Calibration procedure |
| pass_ost,Hg | Efficiency for dietary assimilation of inorganic mercury by osteichthyes | dimensionless | 0.01 | Hendriks and Heikens (2001) |
| pass_fish, Hg | Efficiency for dietary assimilation of inorganic mercury by M. barbatus | dimensionless | 0.01 | Hendriks and Heikens (2001) |
| Pass_biv,MeHg | Efficiency for dietary assimilation of methyl-mercury by bivalvia | dimensionless | 0.65 | Hendriks and Heikens (2001) |
| Pass_amp,MeHg | Efficiency for dietary assimilation of methylmercury by amphipoda | dimensionless | 0.60 | Hendriks and Heikens (2001) |
| Pass_mys,MeHg | Efficiency for dietary assimilation of methyl-mercury by mysidacea | dimensionless | 0.60 | Hendriks and Heikens (2001) |
| pass_dec, MeHg | Efficiency for dietary assimilation of methyl-mercury by decapoda | dimensionless | 0.60 | Hendriks and Heikens (2001) |
| pass_pol,MeHg | Efficiency for dietary assimilation of methyl-mercury by polychaeta | dimensionless | 0.99 | Calibration procedure |
| pass_ost,MeHg | Efficiency for dietary assimilation of methyl-mercury by osteichthyes | dimensionless | 0.88 | Hendriks and Heikens (2001) |
| Pass_fish,MeHg | Efficiency for dietary assimilation of methyl-mercury by M. barbatus | dimensionless | 0.88 | Hendriks and Heikens (2001) |
| p ' ${ }^{\text {ass, biv }}$ | Fraction of ingested food assimilated by bivalvia | dimensionless | 0.4 | Hendriks et al. (2001) |
| P'ass,amp | Fraction of ingested food assimilated by amphipoda | dimensionless | 0.2 | Hendriks et al. (2001) |
| $\mathrm{p}^{\prime}$ ass,mys | Fraction of ingested food assimilated by mysidacea | dimensionless | 0.4 | Hendriks et al. (2001) |
| $\mathrm{p}^{\text {'ass, dec }}$ | Fraction of ingested food assimilated by decapoda | dimensionless | 0.8 | Hendriks et al. (2001) |
| $\mathrm{p}^{\prime}$ ass, pol | Fraction of ingested food assimilated by polychaeta | dimensionless | 0.2 | Hendriks et al. (2001) |
| p 'ass, ost | Fraction of ingested food assimilated by osteichthyes | dimensionless | 0.8 | Hendriks et al. (2001) |
| p 'ass,fish | Fraction of ingested food assimilated by M. barbatus | dimensionless | 0.8 | Hendriks et al. (2001) |
| a | Initial growth coefficient | dimensionless | 0.009 | Calibration procedure |
| b | Allometric constant | dimensionless | 3.07 | Calibration procedure |
| $\mathrm{L}_{\infty}$ | Asymptotic length of M. barbatus | mm | 235 | Tursi et al. (1996) |
| K | Growth coefficient of M. barbatus | $\mathrm{y}^{-1}$ | 0.275 | Tursi et al. (1996) |
| $\mathrm{t}^{\prime}{ }_{0}$ | Theoretical age of M. barbatus for length fixed to zero | y | -1.91 | Tursi et al. (1996) |

while they are weakly affected by mercury form dissolved in seawater.
The dynamics of $\mathrm{Hg}_{i}^{I I}$ and $\mathrm{MeHg}_{i}$ is modelled considering five biological processes:
i) mercury absorption through the invertebrate respiratory system (uptake term);
ii) absorption of the mercury incorporated in food and detritus through the invertebrate gastro-intestinal tract (GIT) (ingestion terms);
iii) mercury excretion through the invertebrate respiratory system (excretion term);
iv) excretion of mercury incorporated in food and detritus through the invertebrate GIT (egestion term);
v) excretion of mercury by dilution through the size growth of invertebrate (growth term).

In the Invertebrate Model, as well as for the Phytoplankton model,
mercury absorption process for respiration is described by an uptake term with a first-order kinetics.

The mercury assimilation process in the GIT is reproduced for each invertebrate population through different ingestion terms, with a firstorder kinetics, i.e. one term for each preferred diet component.

In particular, the ingestion term of the $i$-th invertebrate for the $j$-th prey is directly proportional to:
(i) the dietary preference of the $i$-th invertebrate for the $j$-th prey,
(ii) the assimilation rate constant of the $i$-th invertebrate,
(iii) the mercury content of the $j$-th prey.

The diet preferences of the invertebrates are considered constant, following the experimental findings reported in Catalano et al. (2014), Pipitone and Arculeo (2003) and Fauchald and Jumars (1979). The Hg excretion processes in the invertebrate are described by the egestion and growth terms, which are regulated by first-order kinetics. The egestion
rates are constant for both $\mathrm{Hg}^{\mathrm{II}}$ and MeHg and are defined directly proportional to the average invertebrate weight with exponent $-\kappa$, and inversely proportional to the dry fraction of invertebrate, the dry tissuewater partition ratio for the MeHg and $\mathrm{Hg}^{\text {II }}$, respectively, and the sum of:
(i) water layer diffusion resistance experienced during exchange with invertebrate food,
(ii) lipid layer permeation efflux resistance corrected by temperature factor,
(iii) digestion flow delay.

Thus, the kinetic model for the mercury concentrations in $i$-th invertebrate population is defined by the following ordinary differential equations:

$$
\begin{align*}
\frac{d H g_{i}^{I I}}{d t^{\prime}} & =k_{i, u p_{-} i n o} \cdot\left[H g^{I I}\right]_{z=z_{b}}+k_{i, i n g_{-} i n o} \cdot\left(\operatorname{Pref}_{i, p h y} \cdot H g_{p h y}^{I I}+\sum_{j=1}^{6} \operatorname{Pref}_{i, j} \cdot H g_{j}^{I I}\right. \\
& \left.+\operatorname{Pref}_{i, S P M} \cdot H g_{S P M}^{I I}+\operatorname{Pref}_{i, \text { sed }} \cdot H g_{\text {sed }}^{I I}\right)-H g_{i}^{I I} \cdot\left(k_{i, e x c_{-} i n o}+k_{i, e g e-i n o}+k_{i, g r}\right) \tag{6}
\end{align*}
$$

$\frac{d \mathrm{MeHg}_{i}}{d t^{\prime}}=k_{i, \text { up-met }} \cdot[\mathrm{MeHg}]_{z=z_{b}}+k_{i, \text { ing_met }} \cdot\left(\operatorname{Pref}_{i, p h y} \cdot \mathrm{MeHg}_{p h y}+\sum_{j=1}^{6} \operatorname{Pref}_{i, j} \cdot \mathrm{MeHg}_{j}+\operatorname{Pref}_{i, S P M} \cdot \mathrm{MeHg}_{S P M}+\right.$ Pref $\left._{i, \text { sed }} \cdot M e H g_{\text {sed }}\right)-$ MeHg $_{i} \cdot\left(k_{i, e x c-m e t}+k_{i, e g e \_m e t}+k_{i, g r}\right)$
where

- $H g_{i}^{I I}$ and $\mathrm{MeHg} g_{i}$ are the IHg and MeHg concentrations in $i$-th invertebrate population, respectively [ $\mu \mathrm{g} \cdot \mathrm{kg} g_{\text {wet_wt }}^{-1}$;
- $k_{i, \text { up_uno }}$ and $k_{i, \text { up_met }}$ are the respiratory uptake rate constants of $i$-th invertebrate population for IHg and MeHg , respectively $\left[l \cdot k g_{\text {wet_ }}^{-1} \cdot d^{-1}\right]$;
- $\left[\mathrm{Hg}^{I I}\right]_{z=z_{b}}$ and $[\mathrm{MeHg}]_{z=z_{b}}$ are the concentrations of IHg and MeHg in the deepest layer of seawater $\left(\mathrm{z}=\mathrm{z}_{b}\right)$, respectively $\left[\mu g \cdot l^{-1}\right.$ ];
- $k_{i}$, ing_ino and $k_{i \text {, ing_met }}$ are the assimilation rate constants of $i$-th invertebrate population for HHg and MeHg , respectively [ $d^{-1}$ ];
- $P_{r e f}^{i, p h y}, \operatorname{Pref}_{i, S P M}$ and $\operatorname{Pref}_{i,}$ sed are the diet preferences of $i$-th invertebrate population for phytoplankton, SPM and sediments [dimensionless];
- $\operatorname{Pref}_{i, j}$ are the diet preferences of $i$-th invertebrate population for $j$-th prey [dimensionless];
- $H g_{p h y}^{I I}, H g_{j}^{I I}, H g_{S P M}^{I I}$ and $H g_{\text {sed }}^{I I}$ are the IHg concentrations in phytoplankton, j-th prey, SPM and sediments, respectively [ $\left.\mu \mathrm{g} \cdot \mathrm{k} g_{w e t \_w t}^{-1}\right]$;
- $\mathrm{MeHg}_{\text {phy }}, \mathrm{MeHg}_{j}, \mathrm{MeHg}_{S P M}$ and $\mathrm{MeHg}_{\text {sed }}$ are the MeHg concentrations in phytoplankton, $j$-th prey, SPM and sediments, respectively $\left[\mu \mathrm{g} \cdot \mathrm{kg} g_{\text {wet_wt }}^{-1}\right]$;
- $k_{i \text {, exc_ino }}$ and $k_{i \text {, exc_met }}$ are the excretion rate constants of $i$-th invertebrate population for Hg and MeHg , respectively [ $d^{-1}$ ];
- $k_{i, \text { ege_ino }}$ and $k_{i, \text { ege_met }}$ are the egestion rate constants of $i$-th invertebrate population for IHg and MeHg , respectively [ $d^{-1}$ ];
- $k_{i, g r}$ is the dilution rate constant associated with the size growth of $i$ $t h$ invertebrate population $\left[d^{-1}\right]$.

The rate constants of the Invertebrate Model are given by the following equations (following Hendriks and Heikens, 2001):
$k_{i, \text { up_ino }}=\frac{W_{i}^{-\kappa}}{\rho_{w}+\rho_{\text {lip,in }} \cdot\left[H g^{I I}\right]^{\kappa_{p}^{I I}}+\frac{1}{\gamma_{0}}} ; k_{w, \text { met, ,up }}=\frac{W_{i}^{-\kappa}}{\rho_{w}+\rho_{\text {lip,in }} \cdot[\mathrm{MeHg}]^{\kappa_{p}^{M M}}+\frac{1}{\gamma_{0}}}$
$k_{i, \text { ing_ino }}=p_{\text {ass_ } i, H_{g}^{I I}} \cdot q_{T} \cdot \gamma_{1} \cdot W_{i}^{-\kappa} ; k_{i, i n g_{-} m e t}=p_{\text {ass_ } i, M e H g} \cdot q_{T} \cdot \gamma_{1} \cdot W_{i}^{-\kappa}$
$k_{i, \text { exc_ino }}=\frac{1}{K_{t w}^{I I} \cdot p_{s, i}} \cdot \frac{W_{i}^{-\kappa}}{\rho_{w}+\rho_{\text {lip,out }}+\frac{1}{\gamma_{0}}} ; k_{i, \text { exc_ino }}=\frac{1}{K_{t w}^{M M} \cdot p_{s, i}} \cdot \frac{W_{i}^{-\kappa}}{\rho_{w}+\rho_{\text {lip,out }}+\frac{1}{\gamma_{0}}}$
$k_{i, \text { ege_ino }}=\frac{1}{K_{t w}^{I I} \cdot p_{s, i}} \cdot \frac{W_{i}^{-\kappa}}{\rho_{w, \text { ege }}+\frac{\rho_{\text {lipoout }}}{q_{T}}+\frac{1}{p_{s, \text { sood }-i} \cdot K_{t w}^{I I} \cdot\left(1-p_{\text {ass },}^{\prime}\right) \cdot q_{T} \cdot \gamma_{1}}} ;$
$k_{i, \text { ge_ } \_ \text {met }}=\frac{1}{K_{t w}^{M M} \cdot p_{s, i}} \cdot \frac{W_{i}^{-\kappa}}{\rho_{w, \text { ege }}+\frac{\rho_{\text {lip,out }}}{q_{T}}+\frac{1}{p_{s, f o o d_{-} i} \cdot K_{t w}^{M M} \cdot\left(1-p_{a s s, i}^{\prime}\right) \cdot q_{T} \cdot \gamma_{1}}} ;$

$$
\begin{equation*}
k_{i, g r}=q_{T} \cdot \gamma_{2} \cdot W_{i}^{-\kappa} \tag{12}
\end{equation*}
$$

where

- $W_{i}$ is the average weight of $i$-th invertebrate $\left[\mathrm{kg}_{\text {wet_w }}\right]$;
- $\kappa$ is the rate exponent [dimensionless];
- $\rho_{w}$ is the water layer diffusion resistance $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $\rho_{\text {lip }}$ in is the lipid layer permeation influx resistance $\left[d \cdot k g^{-\kappa} \cdot \mu g^{-\kappa_{p}} \cdot l^{\kappa_{p}}\right] ;$
- $\kappa_{p}^{I I}$ and $\kappa_{p}^{M M}$ are the lipid layer resistance exponents for IHg and MeHg , respectively [dimensionless];
- $\gamma_{0}$ is the water absorption-excretion coefficient $\left[\mathrm{kg}^{\kappa} \cdot \mathrm{d}^{-1}\right]$;
- $p_{\text {ass_ }_{-}, \mathrm{Hg}^{I I}}$ and $p_{\text {ass_ } i, \mathrm{MeHg}}$ are, respectively, the efficiencies for dietary assimilation of IHg and MeHg by i-th invertebrate population [dimensionless];
- $q_{T}$ is the temperature correction factor [dimensionless];
- $\gamma_{1}$ is the food ingestion coefficient $\left[k g^{\kappa} \cdot d^{-1}\right]$;
- $K_{t w}^{I I}$ and $K_{t w}^{M M}$ are the dry tissue-water partition ratios for IHg and MeHg , respectively $\left[k \mathrm{k}_{\mathrm{dry}}^{-} \mathrm{wt} / \mathrm{l}^{-1}\right]$;
- $p_{s, i}$ is the dry fraction of $i$-th invertebrate population [ $k g_{d r y} w t /$ $k g_{\text {wet_wt }}$;
- $\rho_{\text {lip, out }}$ is the lipid layer permeation efflux resistance $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $\rho_{w}$, ege is the water layer diffusion resistance for assimilation of chemicals from food $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $p_{s, f_{0}} f_{-} i s$ the dry fraction of food for $i$-th invertebrate $\left[k g_{d r y} w t\right.$ $k g_{\text {wet_wt }}$;
- $p^{\prime}$ ass, $i$ is the fraction of ingested food assimilated by $i$-th invertebrate [dimensionless];
- $\gamma_{2}$ is the biomass reproduction coefficient $\left[k g^{\kappa} \cdot d^{-1}\right]$.

Table 1 reports the model parameters which, except for $W_{i}$ and $p_{s}$, food_i, are fixed following the empirical results obtained by Hendriks and Heikens (2001) and Hendriks et al. (2001). The average weights of invertebrate populations are set according to the available literature (Campfens and Mackay, 1997; McKinney et al., 2004; Radomyski and Ciffroy, 2015b; Yakovlev and Yakovleva, 2010). The dry fraction of the food of each invertebrate is calculated as follows:
$p_{s, f o o d_{-} i}=\sum_{j=1}^{n} \operatorname{Pref}_{i, j} \cdot p_{s, j}$
where $p_{s, j}=0.20 \cdot W_{j}^{0.03}$.
The lipid resistance exponents ( $\kappa_{p}^{I I}$ and $\kappa_{p}^{M M}$ ) and the dry tissue-water partition ratios ( $K_{t w}^{I I}$ and $K_{t w}^{M M}$ ) are the same used in the Phytoplankton Model and are calibrated in order to better reproduce the mercury concentrations observed in marine organisms (Section 3).

### 2.4. Fish model

The dynamics of mercury concentration in fish has been analyzed using the Fish Model, specialized to the red mullet target species (M. barbatus). The direct interactions with seawater and invertebrates supporting the diet preferences of fish are modelled respectively by the uptake term and ingestion terms of the ODEs of the Fish Model. On the other hand, the indirect interactions with the other components of marine environment (SPM, sediment, phytoplankton, other aquatic organisms etc.) are calculated using the ODEs for both the Phytoplankton Model (Paragraph 2.2) and the Invertebrate Model (Paragraph 2.3).

In general, the Hg content in fish primarily depends on the concentrations of the metal in ingested invertebrates (polychaeta, decapoda, bivalvia, etc.), derived by the Invertebrate Model, while they are very weakly affected by mercury concentrations in seawater, as estimated by the HR3DHG Model (Denaro et al., 2020).

The diet preferences are obtained by using the experimental findings reported by Esposito et al. (2014) and based on the fish food web, from phytoplankton to invertebrates, taking into account the information available on prey living in the Augusta Bay (Catalano et al., 2014). An illustration of the diet preferences (depending on the depth, age and availability of prey present in the benthic community) used in the INTFISH model is reported in Fig. 2.

Eqs. (14)-(24) describe the model for reproducing the dynamics of both $\mathrm{Hg}^{\text {II }}$ and MeHg in fish in the considered area. Specifically, we reproduced the behaviour of the both mercury species in a fish placed in the position ( $\mathrm{x}, \mathrm{y}$ ) of seabed at a specific age ( $\mathrm{t}^{\prime}$ ), i.e. $\mathrm{Hg}_{\text {fish }}^{\mathrm{II}}\left(\mathrm{x}, \mathrm{y}, \mathrm{t}^{\prime}\right)$ and $\mathrm{MeHg}_{\text {fish }}^{\mathrm{II}}(\mathrm{x}, \mathrm{y}, \mathrm{t}$ '). Moreover, the model allows us to calculate both the $\mathrm{Hg}^{\text {TOT }}$ concentration ( $\mathrm{Hg}_{\mathrm{fish}}^{\mathrm{TOT}}$ ) by adding the concentrations of the two mercury species, as well as the ratio between the MeHg concentration and the $\mathrm{Hg}^{\text {TOT }}$ concentration inside the fish body.

The dynamics of mercury is not affected by the initial conditions of the Fish Model. Moreover, the $\mathrm{Hg}^{\text {TOT }}$ concentration calculated at fish capture is not affected significantly by the dynamics of mercury concentrations during the first year of life.

The dynamics of $\mathrm{Hg}^{\text {II }}$ and MeHg are modelled by considering five biological processes already considered in the Invertebrate Model. In particular, all mercury uptake and elimination processes are described by terms with a first-order kinetics.

The ingestion term of the fish for the $j$-th prey is directly proportional to
(i) the fish diet preference for the $j$-th prey,
(ii) the assimilation rate constant,
(iii) the mercury content of the $j$-th prey.

In particular, the diet preferences are fixed as constant functions for the whole juvenile stage ( t ' $<2$ years), when $M$. barbatus' diet is similar to that of other demersal fish. During the transition from the juvenile stage to the full maturity stage ( $2 \leq \mathrm{t}^{\prime}<3$ years), the diet preferences change as a function of time, due to the progressive loss of premaxillary teeth (Esposito et al., 2014). Finally, the diet preferences are fixed as constant after the achievement of full maturity stage ( t ' $\geq 3$ years), when the $M$. barbatus definitively assumes the feeding pattern typical of a benthic fish.

All these parameters, except for the dry fraction and the fish weight, are fixed as constant for the whole fish lifetime according to previous works (Hendriks et al., 2001; Hendriks and Heikens, 2001). Differently, the fish dry fraction depends on its weight, and therefore it changes as a function of time.

The fish growth rate constant changes as a function of time, and is defined as a function of the temperature correction factor, the biomass production coefficient and the weight with exponent $-\kappa$.

Overall, the kinetic model for the mercury concentrations in fish is given by the following ODEs (Hendriks et al., 2001; Hendriks and Heikens, 2001; Radomyski and Ciffroy, 2015c):


Fig. 2. Graphical representation of diet composition of $M$. barbatus with percentage of preference (percentage by weight - $\% \mathrm{~W}$ ) in the two different age stage (juvenile and adult). The diet preferences are obtained by using the experimental findings reported in Esposito et al., 2014 and the information on prey from Catalano et al., 2014.

$$
\begin{aligned}
& \frac{d H g_{f i s h}^{I I}}{d t^{\prime}}=k_{\text {fish,up_ino }}\left(t^{\prime}\right) \cdot\left[H g^{I I}\left(x_{r}, y_{r}, t^{\prime}\right)\right]_{z=z_{b}}+k_{f i s h, i n g_{-} i n o}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{j u n_{-} f i s h, j} \cdot H g_{j}^{I I}\left(x_{r}, y_{r}, t^{\prime}\right)
\end{aligned}
$$

$$
\begin{aligned}
& \frac{d H g_{f i s h}^{I I}}{d t^{\prime}}=k_{\text {fish,up_ino}}\left(t^{\prime}\right) \cdot\left[H g^{I I}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}}+k_{f i s h, i n g_{-} i n o}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{j u v_{-} f i s h, j} \cdot H g_{j}^{I I}\left(x_{f}, y_{f}, t^{\prime}\right) \\
& -H g_{\text {fish }}^{I I} \cdot\left(k_{\text {fish }, \text { exc }_{\text {ino }}}\left(t^{\prime}\right)+k_{\text {fish }, \text { ege }}^{\text {ino }}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 1<t^{\prime} \leq 2 \text { years } \\
& \frac{d H g_{\text {fish }}^{I I}}{d t^{\prime}}=k_{\text {fish,up_ino }}\left(t^{\prime}\right) \cdot\left[H g^{I I}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}}+k_{\text {fish,ing_ino }}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{\text {fish }, j}\left(t^{\prime}\right) \cdot H g_{j}^{I I}\left(x_{f}, y_{f}, t^{\prime}\right) \\
& -H g_{\text {fish }}^{I I} \cdot\left(k_{\text {fish }, \text { exc } c_{\text {ino }}}\left(t^{\prime}\right)+k_{\text {fish,ege } \text { ino }}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 2<t^{\prime} \leq 3 \text { years } \\
& \frac{d H g_{\text {fish }}^{I I}}{d t^{\prime}}=k_{f i s h, u p_{-} i n o}\left(t^{\prime}\right) \cdot\left[H g^{I I}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}}+k_{f i s h, i n g_{-} i n o}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{\text {mat- } f i s h, j} \cdot H g_{j}^{I I}\left(x_{f}, y_{f}, t^{\prime}\right) \\
& -H g_{\text {fish }}^{I I} \cdot\left(k_{\text {fish }, \text { exc } \text { ino }}\left(t^{\prime}\right)+k_{\text {fish }, \text { ege } e_{\text {ino }}}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 3 \text { years }<t^{\prime} \leq A G E_{\text {death }}
\end{aligned}
$$

$$
\begin{aligned}
& \frac{d M e H g_{f i s h}}{d t^{\prime}}=k_{f i s h, u p_{\text {met }}}\left(t^{\prime}\right) \cdot\left[\operatorname{MeHg}\left(x_{r}, y_{r}, t^{\prime}\right)\right]_{z=z_{b}} \\
& +k_{\text {fish,ing_met }}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{\text {jun__fish }, j^{j}} \cdot \mathrm{MeHg}_{j}\left(x_{r}, y_{r}, t^{\prime}\right) \\
& -\mathrm{MeHg}_{\text {fish }} \cdot\left(k_{\text {fish }, \text { exc } \mathrm{met}}\left(t^{\prime}\right)+k_{\text {fish }, \text { ege } \mathrm{e}_{\text {met }}}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 0<t^{\prime} \leq 1 \text { year } \\
& \frac{d M e H g_{f i s h}}{d t^{\prime}}=k_{\text {fish }, u p_{\text {met }}}\left(t^{\prime}\right) \cdot\left[\operatorname{MeHg}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}} \\
& +k_{\text {fish,ing_met }}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{j u v_{-} \text {fish }, j} \cdot \operatorname{MeHg}_{j}\left(x_{f}, y_{f}, t^{\prime}\right) \\
& -\mathrm{MeHg}_{\text {fish }} \cdot\left(k_{\text {fish,exc } \mathrm{emet}}\left(t^{\prime}\right)+k_{\text {fish }, \text { ege } e_{m e t}}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 1<t^{\prime} \leq 2 \text { years } \\
& \frac{d M e H g_{f i s h}}{d t^{\prime}}=k_{f i s h, u p_{m e t}}\left(t^{\prime}\right) \cdot\left[\operatorname{MeHg}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}} \\
& +k_{\text {fish,ing_met }}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{\text {fish }, j}\left(t^{\prime}\right) \cdot \operatorname{MeHg}_{j}\left(x_{f}, y_{f}, t^{\prime}\right) \\
& -\mathrm{MeHg}_{f i s h} \cdot\left(k_{\text {fish }, \text { exc } \mathrm{met}}\left(t^{\prime}\right)+k_{\text {fish }, \text { ege } e_{\text {met }}}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 2<t^{\prime} \leq 3 \text { years } \\
& \frac{d M e H g_{f i s h}}{d t^{\prime}}=k_{f i s h, u p_{m e t}}\left(t^{\prime}\right) \cdot\left[\operatorname{MeHg}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}} \\
& +k_{\text {fish,ing_met }}\left(t^{\prime}\right) \cdot \sum_{j=1}^{6} \operatorname{Pref}_{\text {mat_fish.j }^{j}} \cdot \operatorname{MeHg}_{j}\left(x_{f}, y_{f}, t^{\prime}\right) \\
& -\mathrm{MeHg}_{\text {fish }} \cdot\left(k_{\text {fish }, \text { exc } c_{m e t}}\left(t^{\prime}\right)+k_{\text {fish,ege }{ }_{m e t}}\left(t^{\prime}\right)+k_{\text {fish }, g r}\left(t^{\prime}\right)\right) \text { for } 3 \text { years }<t^{\prime} \leq A G E_{\text {death }}
\end{aligned}
$$

where

- $\mathrm{Hg}_{\mathrm{fish}}^{\mathrm{I}}$ and $\mathrm{MeHg}_{f \text { fish }}$ are the $\mathrm{Hg}^{\mathrm{II}}$ and MeHg concentrations in fish, respectively $\left[\mu \mathrm{g} \cdot \mathrm{kg} \mathrm{g}_{\text {wet }}^{-1} \mathrm{wt}\right.$;
- $k_{\text {fish, up_ino }}\left(t^{\prime}\right)$ and $k_{\text {fish, up_met }}\left(t^{\prime}\right)$ are the respiratory uptake rate constants for $\mathrm{Hg}^{\mathrm{II}}$ and MeHg , respectively $\left[l \cdot \mathrm{~kg}_{\text {wet } w t}^{-1} \cdot d^{-1}\right]$;
- $\left[\mathrm{Hg}^{\text {II }}\left(x_{r}, y_{r}, t^{\prime}\right)\right]_{z=z_{b}}$ and $\left[\operatorname{MeHg}\left(x_{r}, y_{r}, t^{\prime}\right)\right]_{z=z_{b}}$ are the $\mathrm{Hg}^{\text {II }}$ and MeHg concentrations at the seabed $\left(\mathrm{z}=\mathrm{z}_{b}\right)$ of the mouth of the river $\left(x_{r}, y_{r}\right)$, respectively $\left[\mu g l^{-1}\right]$;
- $\left[\mathrm{Hg}^{I I}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}}$ and $\left[\operatorname{MeHg}\left(x_{f}, y_{f}, t^{\prime}\right)\right]_{z=z_{b}}$ are the $\mathrm{Hg}^{\mathrm{II}}$ and MeHg concentrations at the seabed $\left(\mathrm{z}=\mathrm{z}_{b}\right)$ of point $\left(x_{f}, y_{f}\right)$ where the fish is caught, respectively $\left[\mu g l^{-1}\right]$;
- $k_{\text {fish, ing ino }}\left(t^{\prime}\right)$ and $k_{\text {fish, ing_met }}\left(t^{\prime}\right)$ are the fish assimilation rate constants for $\mathrm{Hg}^{\mathrm{II}}$ and MeHg , respectively $\left[d^{-1}\right]$;
- Pref $_{j u v ~ f i s h, ~}^{j}$ are the diet preferences at the juvenile stage for the $j$-th prey [dimensionless];
- $\operatorname{Pref}_{\text {fish }}, j\left(t^{\prime}\right)$ are the diet preferences for the $j$-th prey during the transition from the juvenile stage to the full maturity stage [dimensionless];
- Pref $_{\text {mat fish, }} j$ are the diet preferences at full maturity stage for the $j$-th prey [dimensionless];
- $H g_{j}^{I I}$ and $\mathrm{MeHg} g_{j}$ are the $\mathrm{Hg}^{\mathrm{II}}$ and MeHg concentrations in the $j$-th prey, respectively [ $\mu \mathrm{g} \cdot \mathrm{kg}_{\text {wet_wt }}^{-1}$ ];
- $k_{\text {fish, exc_ino }}\left(t^{\prime}\right)$ and $k_{\text {fish, exc_met }}\left(t^{\prime}\right)$ are the excretion rate constants for $\mathrm{Hg}^{\text {II }}$ and MeHg , respectively $\left[d^{-1}\right]$;
- $k_{\text {fish, ege_ino }}\left(t^{\prime}\right)$ and $k_{\text {fish, ege_met }}\left(t^{\prime}\right)$ are the egestion rate constants for $\mathrm{Hg}^{\text {II }}$ and MeHg , respectively [ $d^{-1}$ ];
- $k_{\text {fish, gr }}\left(t^{\prime}\right)$ is the growth rate constant associated with the progressive fish size increase $\left[d^{-1}\right]$;
- $\mathrm{AGE}_{\text {capture }}$ is the fish age at capture [y].

All rate constants of the Fish Model are calculated assuming a behaviour of MeHg similar to that of inorganic compounds (Hendriks and Heikens, 2001). Accordingly, the rate constants of the Fish Model are defined by following equations:

$$
\begin{align*}
& k_{\text {fish }, \text { up_ino }}\left(t^{\prime}\right)=\frac{W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right)}{\rho_{w}+\rho_{\text {lip,in }} \cdot\left[H g^{I I}\left(x_{r}, y_{r}, t^{\prime}\right)\right]^{\kappa_{p}^{I I}}+\frac{1}{\gamma_{0}}} ;  \tag{16}\\
& k_{\text {fish }, \text { up_met }}\left(t^{\prime}\right)=\frac{W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right)}{\rho_{w}+\rho_{\text {lip,in }} \cdot\left[\operatorname{MeHg}\left(x_{r}, y_{r}, t^{\prime}\right)\right]^{\kappa_{p}^{M M}}+\frac{1}{\gamma_{0}}} \text { for } 0<t^{\prime} \leq 1 y \text {. } \\
& k_{\text {fish,up_ino }}\left(t^{\prime}\right)=\frac{W_{f i s h}^{-k}\left(t^{\prime}\right)}{\rho_{w}+\rho_{\text {lip,in }} \cdot\left[\operatorname{Hg}^{I I}\left(x_{f}, y_{f}, t^{\prime}\right)\right]^{]_{p}^{I I}}+\frac{1}{\gamma_{0}}} ; \\
& k_{\text {fish,up_met }}\left(t^{\prime}\right)=\frac{W_{f \text { fish }}^{-\kappa}\left(t^{\prime}\right)}{\rho_{w}+\rho_{\text {lip,in }} \cdot\left[\operatorname{MeHg}\left(x_{f}, y_{f}, t^{\prime}\right)\right]^{N_{p}^{M M}}+\frac{1}{\gamma_{0}}} \text { for } 1 y<t^{\prime} \leq A G E_{\text {death }} \\
& k_{f i s h, i n g_{\text {ino }}}\left(t^{\prime}\right)=p_{\text {ass } f_{\text {fish }}, H_{g} I I} \cdot q_{T} \cdot \gamma_{1} \cdot W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right) ; k_{f \text { fish,ing_met }}\left(t^{\prime}\right) \\
& =p_{\text {ass_fish,MeHg }} \cdot q_{T} \gamma_{1} W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right)  \tag{17}\\
& k_{\text {fish,exc_ino }}\left(t^{\prime}\right)=\frac{1}{K_{t w}^{I I} \cdot p_{s, f i s h}\left(t^{\prime}\right)} \cdot \frac{W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right)}{\rho_{w}+\rho_{\text {lip,out }}+\frac{1}{\gamma_{0}}} ; k_{\text {fish,exc_met }}\left(t^{\prime}\right) \\
& =\frac{1}{K_{t w}^{M M} \cdot p_{s, f i s h}\left(t^{\prime}\right)} \cdot \frac{W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right)}{\rho_{w}+\rho_{\text {lip,out }}+\frac{1}{\gamma_{0}}}  \tag{18}\\
& k_{\text {fish }, \text { ege_ino }}\left(t^{\prime}\right)=\frac{1}{K_{t w}^{I I} \cdot p_{s, f i s h}\left(t^{\prime}\right)} \cdot \frac{W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right)}{\rho_{w, \text { ege }}+\frac{\rho_{\text {lip,out }}}{q_{T}}+\frac{1}{p_{s, f o o d \_f \text { fish }}\left(t^{\prime}\right) \cdot K_{t w}^{I I} \cdot\left(1-p_{\text {ass } f \text { fish }}^{\prime}\right) \cdot q_{T} \cdot \gamma_{1}}} ;  \tag{19}\\
& k_{f i s h, \text { ge_ }_{-m e t}}\left(t^{\prime}\right)=\frac{1}{K_{t w}^{M M} \cdot p_{s, f i s h}\left(t^{\prime}\right)} \\
& W_{\text {fish }}^{-\kappa}\left(t^{\prime}\right) \\
& \cdot \overline{\rho_{w, \text { ege }}+\frac{\rho_{\text {lip,out }}}{q_{T}}+\frac{1}{p_{s, f o o d \_f i s h}\left(t^{\prime}\right) \cdot K_{t w}^{M M} \cdot\left(1-p_{\text {ass } f \text { fish }}^{\prime}\right) \cdot q_{T} \cdot \gamma_{1}}} \\
& k_{f i s h, g r}\left(t^{\prime}\right)=q_{T} \cdot \gamma_{2} \cdot W_{f i s h}^{-\kappa}\left(t^{\prime}\right) \tag{20}
\end{align*}
$$

where

- $W_{\text {fish }}\left(t^{\prime}\right)$ is the fish weight at age t' $\left[k g_{\text {wet_w }}\right]$;
- кis the rate exponent [dimensionless];
- $\rho_{w}$ is the water layer diffusion resistance $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $\rho_{\text {lip, in }}$ is the lipid layer permeation influx resistance $\left[d \cdot k g^{-\kappa} \cdot \mu g^{-\kappa_{p}} \cdot l^{\kappa_{p}}\right]$;
- $\kappa_{p}^{I I}$ and $\kappa_{p}^{M M}$ are the lipid layer resistance exponents for $\mathrm{Hg}^{\text {II }}$ and MeHg , respectively [dimensionless];
- $\gamma_{0}$ is the water absorption-excretion coefficient $\left[\mathrm{kg}^{\kappa} \cdot \mathrm{d}^{-1}\right]$;
- $p_{\text {ass_fish, } H_{g} \text { rand } p_{\text {ass fish, }} \text { MeHg }}$ are the efficiencies for dietary assimilation of $\mathrm{Hg}^{\mathrm{II}}$ and MeHg , respectively [dimensionless];
- $q_{T}$ is the temperature correction factor [dimensionless];
- $\gamma_{1}$ is the food ingestion coefficient $\left[k g^{\kappa} \cdot d^{-1}\right]$;
- $K_{t w}^{I I}$ and $K_{t w}^{M M}$ are the dry tissue-water partition ratios for $\mathrm{Hg}^{\mathrm{II}}$ and MeHg , respectively $\left[\mathrm{kg}_{d r y}^{-1}\right.$ wt $/ \mathrm{l}^{-1}$ ];
- $p_{s, f i s h}\left(t^{\prime}\right)$ is the dry fraction of fish at age $\mathrm{t}^{\prime}\left[\mathrm{kg}_{\text {dry_wt }} / \mathrm{kg}_{\text {wet_wt }}\right]$;
- $\rho_{\text {lip, out }}$ is the lipid layer permeation efflux resistance $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $\rho_{w}$, ege is the water layer diffusion resistance for assimilation of chemicals from food $\left[d \cdot \mathrm{~kg}^{-\kappa}\right]$;
- $p_{\mathrm{s}, \text { food fish }}\left(t^{\prime}\right)$ is the dry fraction of the food at age $\mathrm{t}^{\prime}\left[k g_{d r y \_w t} / k g_{\text {wet_wt }}\right]$;
- $p^{\prime}$ ass, fish is the fraction of ingested food assimilated [dimensionless];
- $\gamma_{2}$ is the biomass reproduction coefficient $\left[k g^{K} \cdot d^{-1}\right]$.

Table 1 reports the Fish model parameters which, except for $\mathrm{W}_{\text {fish }}(\mathrm{t}$ '), $\mathrm{p}_{\mathrm{s}, \text { fish }}\left(\mathrm{t}\right.$ '), and $\mathrm{p}_{\mathrm{s}, \text { food-fish }}\left(\mathrm{t}^{\prime}\right)$, are set using information from the available literature (Hendriks et al., 2001; Hendriks and Heikens, 2001).

The temporal behaviour of fish weight is reproduced by using the following Richards equation (Alia, 2015; Bianchini and Ragonese, 2011; Cadima, 2003):
$W_{f i s h}\left(t^{\prime}\right)=a \cdot\left[L_{f i s h} \cdot\left(t^{\prime}\right)\right]^{b}$
where $a$ is the initial growth coefficient, $b$ is the allometric constant and the fish length $L_{\text {fish }}[\mathrm{mm}$ ] is evaluated by using the von Bertalanffy growth equation (Beverton and Holt, 1956; Von Bertalanffy, 1934; Von Bertalanffy, 1938; Von Bertalanffy, 1949; Von Bertalanffy, 1957):
$L_{f i s h}\left(t^{\prime}\right)=L_{\infty} \cdot\left[1-\exp \left(-K\left(t^{\prime}-t_{0}^{\prime}\right)\right)\right]$
where $t_{0}{ }^{\prime}$ is the fish theoretical age for length fixed to zero [y], $L_{\infty}$ is the asymptotic length of fish [mm], and $K$ is the fish growth coefficient [1/ y ].

The parameters $a$ and $b$ are calibrated by using the fish lengths and weights caught in October 2017 (Alia, 2015), while the parameters $L_{\infty}$, Kand $t_{0}{ }^{\prime}$ are fixed equal to those estimated by Tursi et al. (1996) for M. barbatus living in the Ionian Sea (Bianchini and Ragonese, 2011).

In order to compare the model outputs with experimental data, we calculate the HgTOT concentration in fish at the moment of capture: May 2012 (Bonsignore et al., 2013) and October 2017 (Di Bella et al., 2020). The age of each specimen of fish at capture (AGE ${ }_{c a p t u r e) ~ w a s ~}^{\text {) }}$ calculated by adopting the inverse function of the von Bertalanffy growth (Eq. (22)). In particular, for fixed parameters, we calculate the age at capture $\left(\mathrm{t}^{\prime}=\mathrm{AGE}_{\text {capture }}\right)$ by using the fish length $\left(L_{\text {fish }}\left(t^{\prime}\right)=L_{\text {fish }}(-\right.$ $\left.A G E_{\text {death }}\right)$ ) measured experimentally after it was caught. We fix the starting time of each simulation for the Phytoplankton, Invertebrate and Fish Models $(t,=0)$, to the birth date of each specimen $\left(t=t_{\text {birth }}\right)$ in the temporal domain of the biogeochemical model.

The dry fraction of fish as a function of age is calculated by using the following empirical equation (Hendriks and Heikens, 2001):
$p_{s, f i s h}\left(t^{\prime}\right)=0.20 \cdot W_{\text {fish }}^{0.03}\left(t^{\prime}\right)$
The dry fraction of the food as a function of age is calculated as follows (Hendriks and Heikens, 2001):

$$
\begin{align*}
& p_{s, f o o d_{j \text { sish }}}\left(t^{\prime}\right)=\sum_{j=1}^{n} \operatorname{Pref}_{\mathrm{ju} n_{j \text { jish }} \cdot j} \cdot p_{s, j} \text { for } 0<t \leq 2 \text { years } \\
& p_{s, \text { food } d_{\text {fish }}}\left(t^{\prime}\right)=\sum_{j=1}^{n} \operatorname{Pref}_{\text {fish }, j}\left(t^{\prime}\right) \cdot p_{s, j} \text { for } 2 \text { years }<t^{\prime} \leq 3 \text { years }  \tag{24}\\
& p_{s, f o o d_{j s h}}(\dot{t})=\sum_{j=1}^{n} \operatorname{Pref}_{\text {mat }_{f i s h} \cdot} \cdot p_{s, j} \text { for } 3 \text { years }<\dot{t} \leq A G E_{\text {death }}
\end{align*}
$$

where
$p_{s, j}=0.20 \cdot W_{j}^{0.03}$ and $\operatorname{Pref}_{\text {fish } . j}\left(t^{\prime}\right)=\operatorname{Pref}_{\text {jun_fish.j }}+\frac{\operatorname{Pref}_{\text {mat_fish.j }-\operatorname{Pref}_{\text {jun_fish.j }}} \cdot t^{\prime}, t_{t r}^{\prime}}{}$

Here, $W_{j}$ is the average weight of the $j$-th invertebrate, and $\Delta t_{t r}{ }^{\prime}$ is the transition time from the juvenile stage to the full maturity stage (1 year).

The values of parameters of Eq. (25) are the same as those used in the Richards equation (Table 1).

The lipid resistance exponents ( $\kappa_{p}^{I I}$ and $\kappa_{p}^{M M}$ ) and the dry tissue-water partition ratios ( $K_{t w}^{I I}$ and $K_{t w}^{M M}$ ) are the same used both in Phytoplankton Model and Invertebrate Model and are calibrated in such a way to reproduce the $\mathrm{Hg}^{\text {TOT }}$ concentration observed in marine organisms of the Augusta Bay (see Section 3).

The Fish Model ODEs provide a different non-steady solution for each stage of the fish life cycle, since the spatial distributions of mercury concentrations in seawater, suspended particulate matter (SPM), sediments, phytoplankton and invertebrates are obtained at non-steady state (Denaro et al., 2020).

### 2.5. Model and simulation setup

INTFISH is coded in $\mathrm{C}++$ and uses the forward Euler method for temporal discretization. Since the integrated models are coupled in real time with the HR3DHG Model, the same time step ( 300 s) has been fixed. Specifically, the time step was chosen to guarantee the convergence and stability conditions associated with the numerical methods adopted for the HR3DHG Model. The methods adopted for the spatial discretization of PDEs of HR3DHG model are reported by Denaro et al. (2020), where for the case study of Augusta Bay a 3D grid constituted by a mesh of $10 \times 18$ elements regularly spaced of 454.6 m in both $x$ - and $y$-direction is adopted, with a variable number of vertical layers of 5 m depth in the z-direction. The simulation time ( t ') for the Fish Model starts at the recruitment time and finishes at the death of fish, namely at the moment of capture.

The Hg concentrations in all marine organisms (phytoplankton, invertebrates and fish) at simulation initial time ( $\mathrm{t}^{\prime}=0$ ), are obtained by setting to zero the time derivative of the ODEs of the integrated Fish model.

The HR3DHG Model results were obtained by running a single long simulation up to $t_{\text {max }}=13$ years, corresponding to the second sampling period (October 2017). Simultaneously, we integrated the ODEs of the Fish Model from the birth date $\left(\mathrm{t}^{\prime}=0\right.$ and $\left.\mathrm{t}=\mathrm{t}_{\text {birth }}\right)$ to the capture date ( t ' $=\mathrm{AGE}_{\text {capture }}$ and $\mathrm{t}=\mathrm{t}_{\text {death }}$ ) in order to reproduce the $\mathrm{Hg}^{\text {TOT }}$ concentration at the time of fish capture. The birth date $\left(t=t_{\text {birth }}\right)$ was obtained by subtracting the age at death from the death date, while its death date $\left(\mathrm{t}=\mathrm{t}_{\text {death }}\right)$ was fixed in agreement with the catching date.

Concerning the calibration procedure, as a first step we optimized the initial growth coefficient (a) and the allometric constant (b) of the Eq. (21) in such a way as to achieve the best fit between the theoretical results and experimental data for the weights of six specimens collected in October 2017. Then, we fixed the dry tissue-water partition ratio for MeHg in such a way as to obtain, in accordance with previous works (Storelli et al., 2003, 2005), the highest ratio between the MeHg concentration and $\mathrm{Hg}^{\text {TOT }}$ concentration in the muscle tissue of all the fish specimens, and to respect the value range empirically obtained by Hendriks and Heikens (2001) for the inorganic chemicals. According to this, we also calculated the dry tissue-water partition ratio for $\mathrm{Hg}^{\text {II }}$, which has been set equal to a half of the dry tissue-water partition ratio for MeHg (Hendriks and Heikens, 2001). As a third step, we calibrated the efficiencies for dietary assimilation of $\mathrm{Hg}^{\mathrm{II}}$ and MeHg by polychaeta, i.e. the only one invertebrate for which these parameters were unknown. Specifically, these assimilation efficiencies were optimized to obtain the highest ratio between the MeHg and $\mathrm{Hg}^{\text {TOT }}$ concentration in fish muscle, and to better reproduce the $\mathrm{Hg}^{\text {TOT }}$ concentration in polychaeta (Bizzotto et al., 2014; Catalano et al., 2014). As a fourth step, we calibrated the lipid layer resistance exponents for both Hg species to optimize the match between theoretical results and experimental data, and to better reproduce the empirical results obtained by Hendriks and Heikens (2001). To this end, the value of both exponents was initially fixed equal to 0.530 according to Hendriks and Heikens (2001). Afterwards, the lipid layer resistance exponents were optimized to obtain the best fit between the theoretical results and experimental data for $\mathrm{Hg}^{\mathrm{TOT}}$ concentration
measured in the muscle tissue of $M$. barbatus caught during the first sampling period (May 2012). The calibrated lipid layer resistance exponents ( $\kappa_{p}^{I I}=\kappa_{p}^{M M}=0.57$ ) were in good agreement with empirical findings previously reported by Hendriks and Heikens (2001).

The dynamics of fish weight was reproduced by using the Richards equation (Alia, 2015; Bianchini and Ragonese, 2011; Cadima, 2003), whose parameters were fixed in such a way as to simulate the growth of red mullets populating the Augusta Bay (Bianchini and Ragonese, 2011; Tursi et al., 1996). We also calculated the fish dry fraction according to the empirical function by Hendriks and Heikens (2001). The dynamics of the food dry fraction was calculated as a function of the dry fractions of invertebrates and the fish diet preferences. The former was fixed for the whole lifetime of red mullet, while the latter changed as a function of age (Esposito et al., 2014).

The integrated Fish Model was coupled with the HR3DHG Model, run by considering seasonal variability (and including dynamics of water currents, wind etc.) and fed by hydrodynamic modelling inputs from the SHYFEM model (Cucco et al., 2016; Cucco et al., 2019; De Marchis et al., 2014; Massel, 1999; Umgiesser, 2009; Umgiesser et al., 2014).

## 3. Results and discussion

The $\mathrm{Hg}^{\text {TOT }}$ concentrations (as sum of $\mathrm{Hg}^{\text {II }}$ and MeHg ) in fish were estimated solving the INTFISH eqs. (1)-(25) for specimens caught in Augusta Bay during both sampling periods (Fig. 3 and Table 3), (Bonsignore et al., 2013; Di Bella et al., 2020). The model also reproduces the spatial distribution of $\mathrm{Hg}^{\mathrm{TOT}}$ in phytoplankton and invertebrates in the study area. Mercury concentrations in seawater and sediments were calculated, in non-steady conditions, by the HR3DHG Model (Denaro et al., 2020), which takes also into account the seasonal changes of environmental variables.

In comparison to recent related work in this field, our hierarchical mechanistic modelling approach is able to enhance the understanding of mercury bioaccumulation processes and its prediction capabilities, even in presence of scarce calibration data. This framework is similar to the ecophysiological prey-predator approach proposed by (Ni et al., 2017; Ni and Arhonditsis, 2023), but we here consider a higher variety of prey and more trophic levels; physiological modelling is substantially different from a purely Bayesian framework such as the one followed in (Mahmood et al., 2013), based on series of dynamic linear models (DLMs) to examine temporal trends of toxicants, or from the statistical multilevel modelling of (Visha et al., 2021), useful to deal with nested data, or from the learning method proposed by (Kobayashi and Yoshida, 2021), exploiting gradient boosting decision trees (GBDTs).

Moreover, the calibration procedure performed by using the experimental data allows to improve the estimation of additional parameters with respect to previous works:

- the dynamics of fish weight growth, reproduced throughout the whole fish life cycle using the Richards equation;
- the real diet preferences of each considered marine organism in the food web;
- the fish displacements within the considered area and the dietary changes during the different stages of life.

The average $\mathrm{MeHg} / \mathrm{Hg}^{\mathrm{TOT}}$ ratio significantly increases along the food chain from phytoplankton to red mullet. In particular, most of the mercury in this species is in methylated form (84.4\%) while $15.6 \%$ is in inorganic form. Conversely, the ratio is approximately reversed in phytoplankton ( $11.1 \%$ of MeHg and $88.9 \%$ of $\mathrm{Hg}^{\mathrm{II}}$ ) and in some crustacea, such as amphipoda, mysidacea and decapoda (Table 2).

The model confirms the presence of primary bioaccumulation processes, which involve the MeHg form and its transfer in the higher levels of marine food web. In particular, the numerical results well describe the increase of $\mathrm{Hg}^{\mathrm{TOT}}$ along the food chain, from seawater (trophic level 0 )


Fig. 3. Dynamics of the $\mathrm{Hg}^{\text {TOT }}$ concentration in three $M$. barbatus specimens caught in the Augusta Bay during the first sampling (May 2012). The blue lines show the $\mathrm{Hg}^{\text {TOT }}$ concentration as a function of age obtained by the Integrated Fish Model. The red circles represent the $\mathrm{Hg}^{\text {TOT }}$ concentrations measured in three caught samples. (For interpretation of the references to colour in this figure legend, the reader is referred to the web version of this article).

Table 2
Percentage of MeHg and HgII obtained by INTFISH for the marine organisms. The percentage values for $M$. barbatus are calculated for samples collected in May 2012 (Bonsignore et al., 2013).

| Population | Trophic level | MeHg | $\mathrm{Hg}^{\text {II }}$ |
| :---: | :---: | :---: | :---: |
|  |  | \% | \% |
| Phytoplankton | 1 | 11.1 | 88.9 |
| Amphipoda | 2 | 13.8 | 86.2 |
| Mysidacea | 2 | 14.8 | 85.2 |
| Decapoda | 2 | 14.4 | 85.6 |
| Bivalvia | 2 | 17.4 | 82.6 |
| Polychaeta | 2 | 26.0 | 74.0 |
| Osteichthyes | 2.5 | 84.5 | 15.5 |
| M. barbatus | 3 | 84.4 | 15.6 |

to invertebrates (trophic level 2), as suggested in the literature (Leonard et al., 1995; Watras and Bloom, 1994), clearly indicating that uptake via ingested food is the main route of Hg assumption for fish, while uptake via the respiratory system appears less relevant. Specifically, the major contribution derives from the ingestion of polychaetes and decapods, two benthic invertebrates whose dietary preferences include the highly contaminated sediments of the area. From a quantitative viewpoint and in line with experimental results from previous works (Hendriks and Heikens, 2001; Lee and Fisher, 2017; Mackay and Fraser, 2000), the INTFISH model clearly indicates that the ratio between MeHg and $\mathrm{Hg}^{\text {TOT }}$ in marine organisms strongly increases from phytoplankton (trophic level 1) to fish (trophic level 3), pointing to the fact that the magnitude of MeHg is considerably affected by the structure of respective food web, and confirming that the different contributions to the mercury bioaccumulation along the trophic chain of $M$. barbatus are accurately

Table 3
Comparison between theoretical results and experimental data for each M. barbatus specimen. The percentage of MeHg and IHg obtained by the Integrated Fish Model and the estimated age were also reported.

|  |  |  |  |  |  |  |  | Theoretical results |  | Experimental Data |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Reference | Period | Batch | Fish | Lenght | Estimated Age | MeHg | $\mathrm{Hg}^{\text {II }}$ | $\mathrm{Hg}^{\text {TOT }}$ | Av. $\mathrm{Hg}^{\text {TOT }}$ | $\mathrm{Hg}^{\text {TOT }}$ | Av. $\mathrm{Hg}^{\text {TOT }}$ |
|  |  |  |  | mm | months | \% | \% | $\mu g g^{-1}$ | $\mu g g^{-1}$ | $\overline{\mu g g^{-1}}$ | $\mu g g^{-1}$ |
|  |  |  | 1 | 200 | 60 | 88.7 | 11.3 | 1.06 |  | 1.06 |  |
| Bonsignore et al., 2013 | May-12 | 1 | 2 | 168 | 32 | 84.5 | 15.5 | 0.71 | 0.94 | 0.71 | 0.93 |
|  |  |  | 3 | 202 | 63 | 88.7 | 11.3 | 1.06 |  | 1.02 |  |
|  |  |  | 1 | 178 | 39 | 92 | 8 | 2.13 |  |  |  |
|  |  | 1 | 2 | 183 | 43 | 92.1 | 7.9 | 2.29 | 2.16 |  | 2.11 |
|  |  |  | 3 | 177 | 38 | 91.8 | 8.2 | 2.07 |  |  |  |
| Di Bella et al., 2020 | Oct-17 |  | 1 | 190 | 49 | 91 | 9 | 1.67 |  |  |  |
|  |  | 2 | 2 | 198 | 58 | 91.2 | 8.8 | 1.71 | 1.7 |  | 1.7 |
|  |  |  | 3 | 205 | 67 | 91.3 | 8.7 | 1.72 |  |  |  |

accounted for by the INTFISH model.
INTFISH well reproduces the $\mathrm{Hg}^{\text {TOT }}$ concentration experimentally measured in the M. barbatus specimens caught in the Augusta Bay (Fig. 3; Table 3). The $\mathrm{Hg}^{\text {TOT }}$ levels in the samples caught in May 2012 $\left(\mathrm{Hg}^{\text {TOT }}=1.06,0.71\right.$ and 2 and $1.06 \mu \mathrm{~g}^{-1}$ for fish 1,2 and 3 respectively) are in very good agreement with the experimental data $\left(\mathrm{Hg}^{\text {TOT }}=1.06,0.71\right.$ and $1.02 \mu \mathrm{gg}^{-1}$ for fish 1,2 and 3 respectively). The average mercury concentration calculated by the model $\left(\mathrm{Hg}^{\text {TOT }}=0.94 \mu \mathrm{~g} \mathrm{~g}^{-1}\right)$ is also very close to that measured experimentally $\left(\mathrm{Hg}^{\mathrm{TOT}}=0.93 \mu \mathrm{~g} \mathrm{~g}^{-1}\right)$ in the batch of May 2012. Moreover, the quantitative analysis performed on $\mathrm{Hg}^{\text {TOT }}$ concentrations in fish collected in October 2017 indicates a good agreement between theoretical results (average $\mathrm{Hg}^{\mathrm{TOT}}=2.16$ and $1.70 \mu \mathrm{gg}^{-1}$ for batch 1 and 2, respectively) and experimental data (average $\mathrm{Hg}^{\mathrm{TOT}}=2.11$ and $1.70 \mu \mathrm{~g} \mathrm{~g}^{-1}$ for batch 1 and 2, respectively) (Fig. 3; Table 3). The evident matching between numerical simulations and experiments highlights that a major strength of the proposed model is the ability of successfully integrating a set of related models to accurately describe the dynamics of the mercury in the marine species present in a specific contaminated area.

It should be noted that, based on the estimated age (Fig. 3), younger fish ( t ' $<1$ years) have lower Hg content compared with older ones. Overall, from a mathematical viewpoint, the top and bottom panels of Fig. 3 approximately resemble the ideal exponentially converging behaviour expected from a linear model in absence of coupling and timevarying parameters, while the fish trajectory in the middle panel (whose estimated age at capture is the lowest in the May 2012 batch) has still not reached its steady state. Specifically, a substantial increase in $\mathrm{Hg}^{\text {TOT }}$ concentration is observed between the beginning of stage II ( $1<\mathrm{t}^{\prime}<2$ years) and the ending of stage III ( $2<\mathrm{t}^{\prime}<3$ years). This is associated with the effect of bioaccumulation, due to the ecological features of the different life stages (Sieli et al., 2011; Fiorentino et al., 2008). In fact, red mullet moves from pelagic (eggs, larvae and juvenile stages) to demersal behaviour (recruitment of juvenile and adult stage). At the end of the first year of the demersal phase, red mullets spread on sandy, muddy and gravely bottoms (Relini et al., 1999; Voliani, 1999), where they usually stay for their remaining lifetime (Voliani, 1999)

## 4. Conclusions

The INTFISH integrated modelling framework, with its interconnection of modules aiming at quantifying the mercury concentration and accumulation in fish, offers an unprecedented opportunity to track and quantify the dynamics and transient (non-equilibrium) kinetic transfer of Hg from marine sediments and seawater to different levels of the benthic trophic web.

The central module of INTFISH is the Fish model, which analyzes the dynamics of mercury concentration in fish with red mullet ( $M$. barbatus) as target species. All stages of fish life cycle are considered, following the time-varying diet preferences of both the red mullet ( $M$. barbatus) and its prey. The mercury concentrations in sea water and in first layer of
bottom sediments (inputs for the fish respiratory system and for gastrointestinal tract of mullet prey) are provided by the HR3DHG Model (Denaro et al., 2020), which is coupled in real-time with all the modules of INTFISH.

The integration with the biogeochemical model (which is a key novelty of our approach) allows to take into account the complex dynamics of Hg , and could be particularly interesting in contaminated marine sites where man-made spills of pollutants may undergo variations over time (e.g. seasonal variations) which the model is able to take into consideration, providing a more realistic description of the dynamics involved.

The comprehensive modular structure of INTFISH and its high flexibility in connecting the various steps, capturing the complexity of the biogeochemical structure and reproducing the experimental data, represents a significant step forward towards inclusive and highly performing numerical models, possibly generalizing the setting to trace the fate of mercury and other toxicants from polluted environment in different target species and geographic areas. Based on information related to the diet of a particular human population or of a subgroup with specific characteristics (lifestyle, diet, age range, pregnancy, etc.), the modular structure of the INTFISH model easily allows to shift the attention to different contaminants and/or different polluted sites.

The proposed model, therefore, constitutes a first step of a more ambitious project which aims at providing a quantification of the contaminant intake in the diet of a subject (or a group of subjects) deriving from fish consumption. This would make it possible to evaluate not only the ecological impact of contaminants on the ecosystems but also directly the health risk assessment for humans consuming these resources (Kaikkonen et al., 2020; Senthil Rathi et al., 2021). This will offer an important tool to support decisions for mitigation actions in coastal areas affected by environmental pollution.

## Declaration of Competing Interest

The authors declare that they have no known conflicts of interests, competing financial interests or personal relationships that could have influenced the work reported in this paper.

## Data availability

The INTFISH model is calibrated and validated using existing experimental data of the Augusta Bay, southern Italy, published in previous papers (Bonsignore et al., 2013; Di Bella et al., 2020).

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